## Add two 4-digit numbers - one exchange

Complete the calculations.
Use the place value charts to help you.
a) $3,117+2,542=\square$

| Th | H | T | 0 |
| :---: | :---: | :---: | :---: |
| $\begin{aligned} & 1,000) 1,000 \\ & (1,000) \end{aligned}$ | 100 | (10) | $\begin{array}{ll} 11 & 1 \\ 1 & 1 \\ 1 & 1 \\ 1 & 1 \end{array}$ |
| (1.000) 1.000 | $\begin{array}{ll} 100 \\ 100 \\ 100 \\ \hline 100 & \\ \hline 100 \\ \hline \end{array}$ | $\begin{aligned} & 10) \\ & 10 \\ & 10 \end{aligned}$ | (1) 1 |

b) $3,117+2,544=\square$

c) What do you notice about the calculations in part a) and part b)?

Which did you find easier and why?
d) What happens when you have more than ten counters in one column?
$\qquad$
$\qquad$
(2)

Complete the calculations.
a) $4,365+2,617=$ $\square$
b) $1,907+5,068=$ $\square$
c) $6,792+163=$ $\square$
d) $3,247+1,930=$ $\square$
(3) Complete the calculations.
a)

|  |  | Th | $\mathbf{H}$ | $\mathbf{T}$ | $\mathbf{O}$ |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | 5 | 1 | 6 | 3 |  |  |
|  | + | 2 | 4 | 5 | 1 |  |  |
|  |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |

b)

|  |  | Th | $\mathbf{H}$ | $\mathbf{T}$ | $\mathbf{O}$ |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | 7 | 2 | 6 | 1 |  |  |
|  | + | 1 | 0 | 2 | 9 |  |  |
|  |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |

c)

d)

(4)

Four children are working out 4,635 + 183

$4,635+183=47,118$

## Alex's method



$$
4,635+183=4,818
$$

## Jack's method



$$
4,635+183=4,718
$$

## Teddy's method



$$
4,635+183=6,465
$$

Whose method is correct?
Talk about the mistakes the other children have made.

